

# Interdomain routing: Autonomy vs. expressiveness

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# Outline

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- Problem motivation
- Autonomy: ARC functions
- An “impossibility” theorem
- Steps forward

# Who owns the Internet?

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The Internet is independently owned and operated by 1000s of ISPs.

These providers use BGP to implement routing policy goals.

Question:

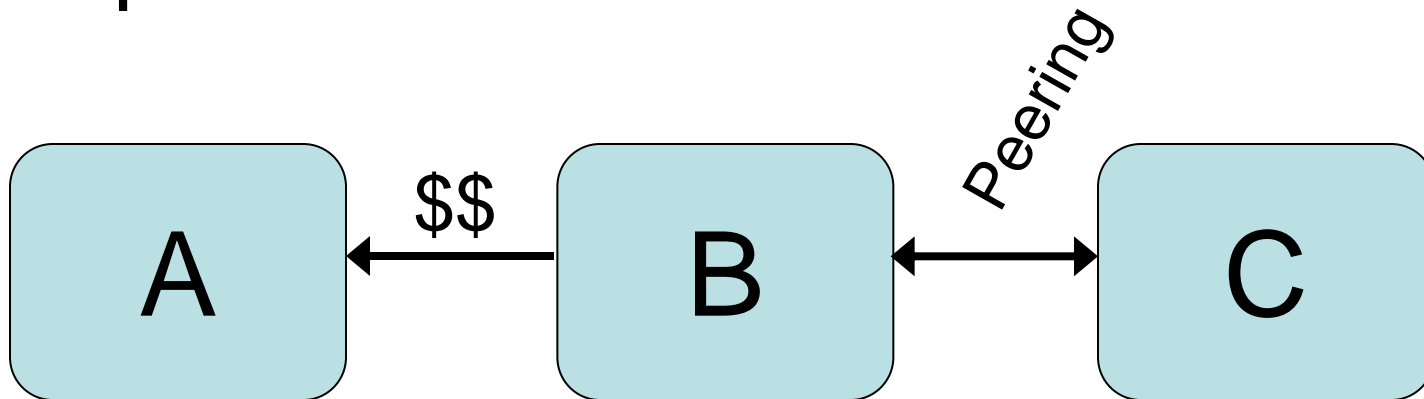
What are the implications of this autonomy?

# Policy

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Why is policy needed?

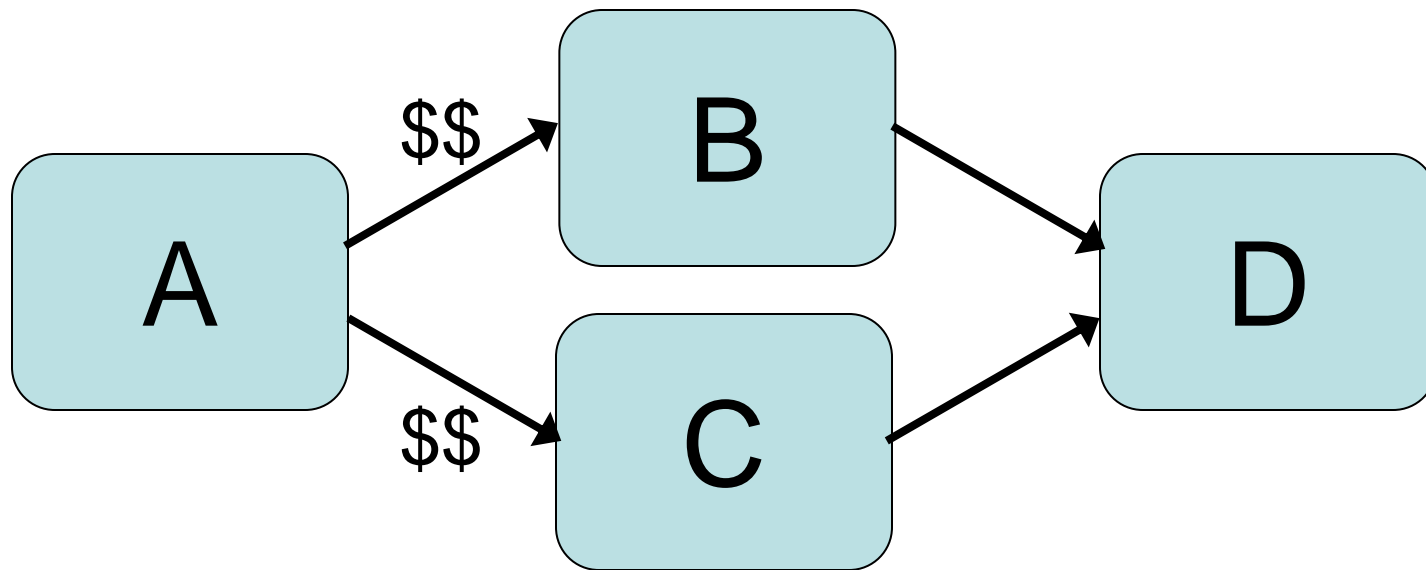
Example 1: Contracts



B and C are **peers**. B pays A.  $\Rightarrow$   
B **filters** the route B $\rightarrow$ A from C.

# Policy

## Example 2: traffic optimization



A pays B and C to reach D. B costs less.  
⇒ A **prefers**  $A \rightarrow B \rightarrow D$  to  $A \rightarrow C \rightarrow D$ .

# Ranking and filtering

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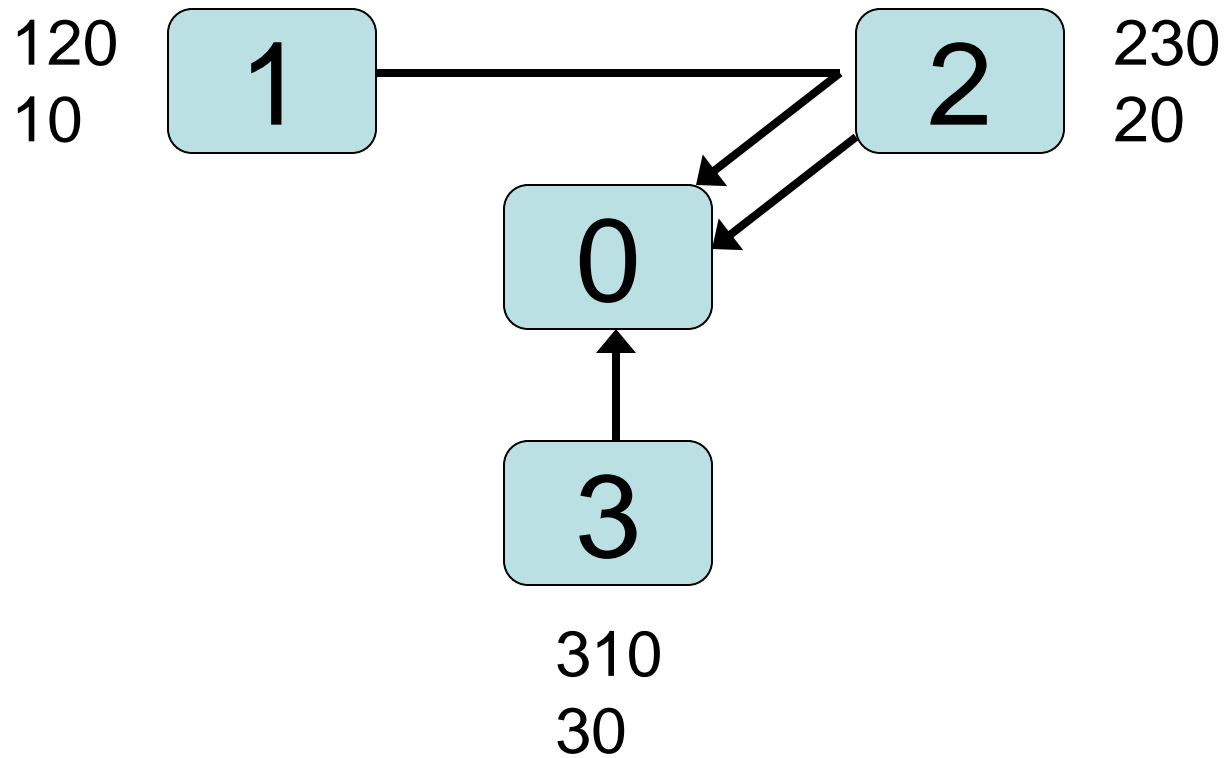
How do ASes implement policy?

1. **Ranking** the routes that outbound traffic will use
2. **Filtering** routes that inbound traffic will use

We view **filtering** as an **inalienable right** needed to implement contracts.

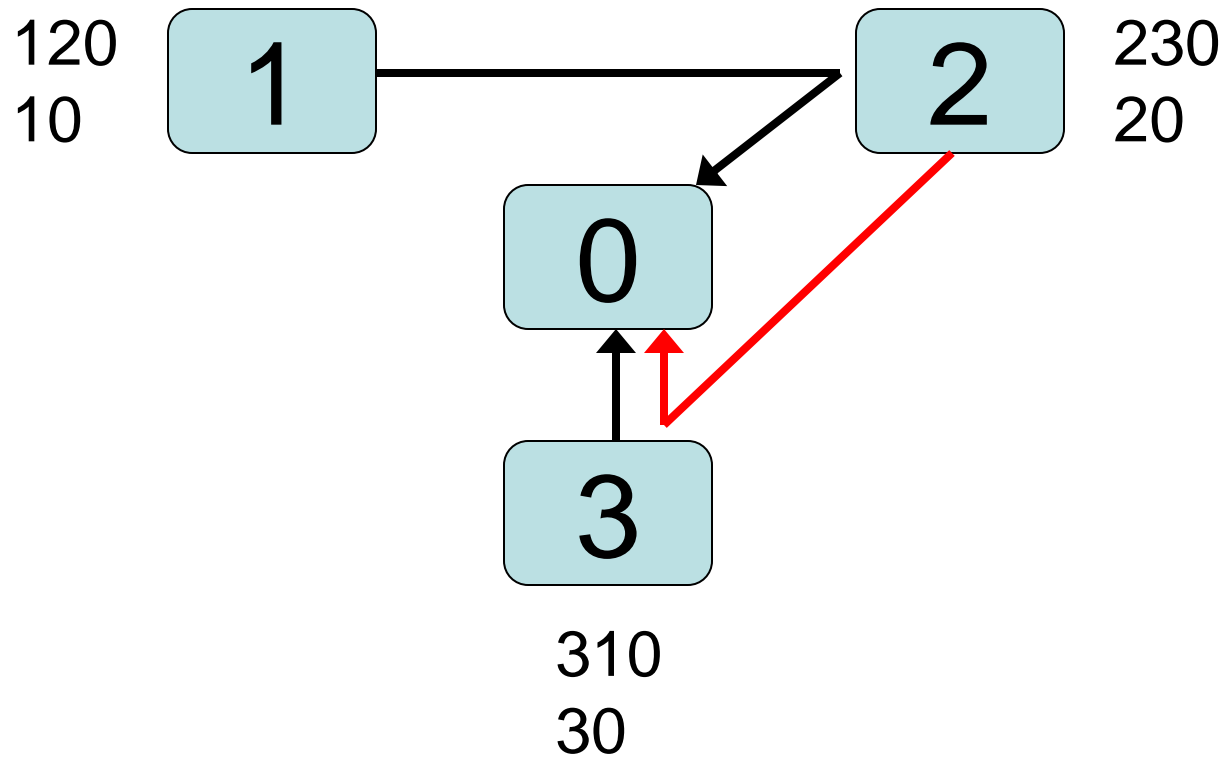
# Safety

Policy expressiveness  $\Rightarrow$  oscillations.

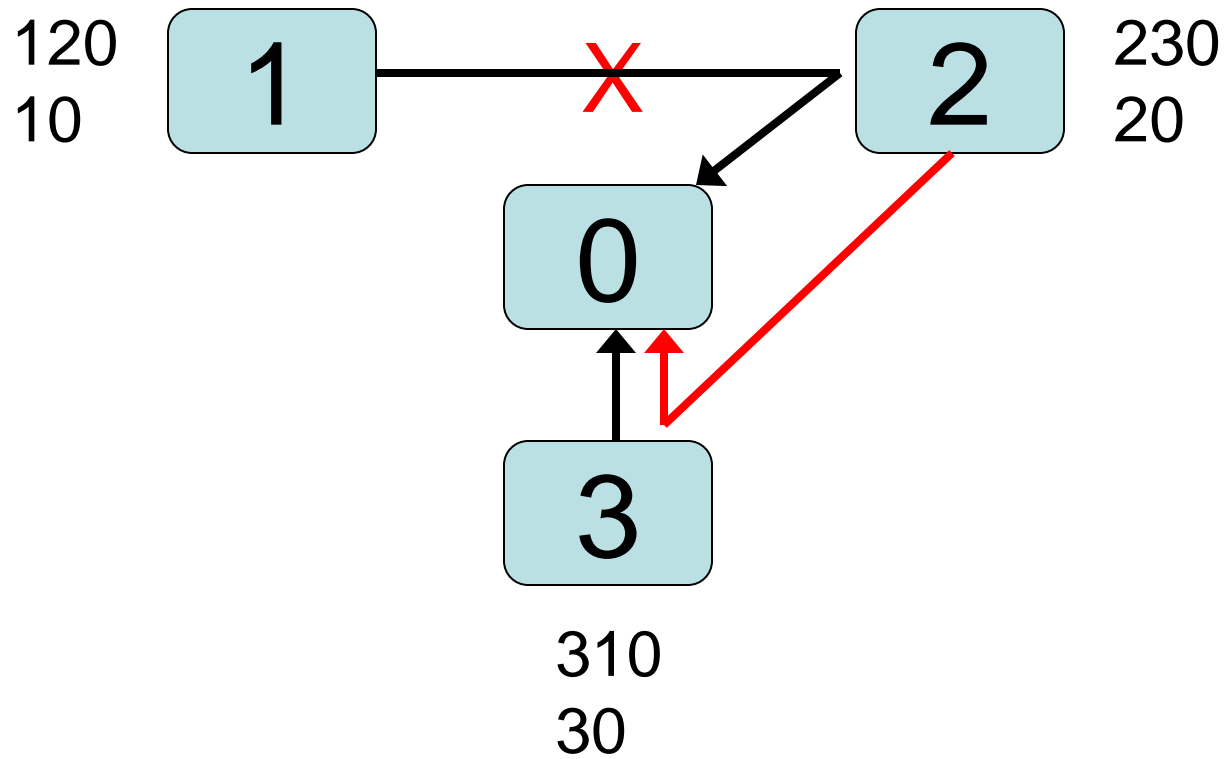


# Safety

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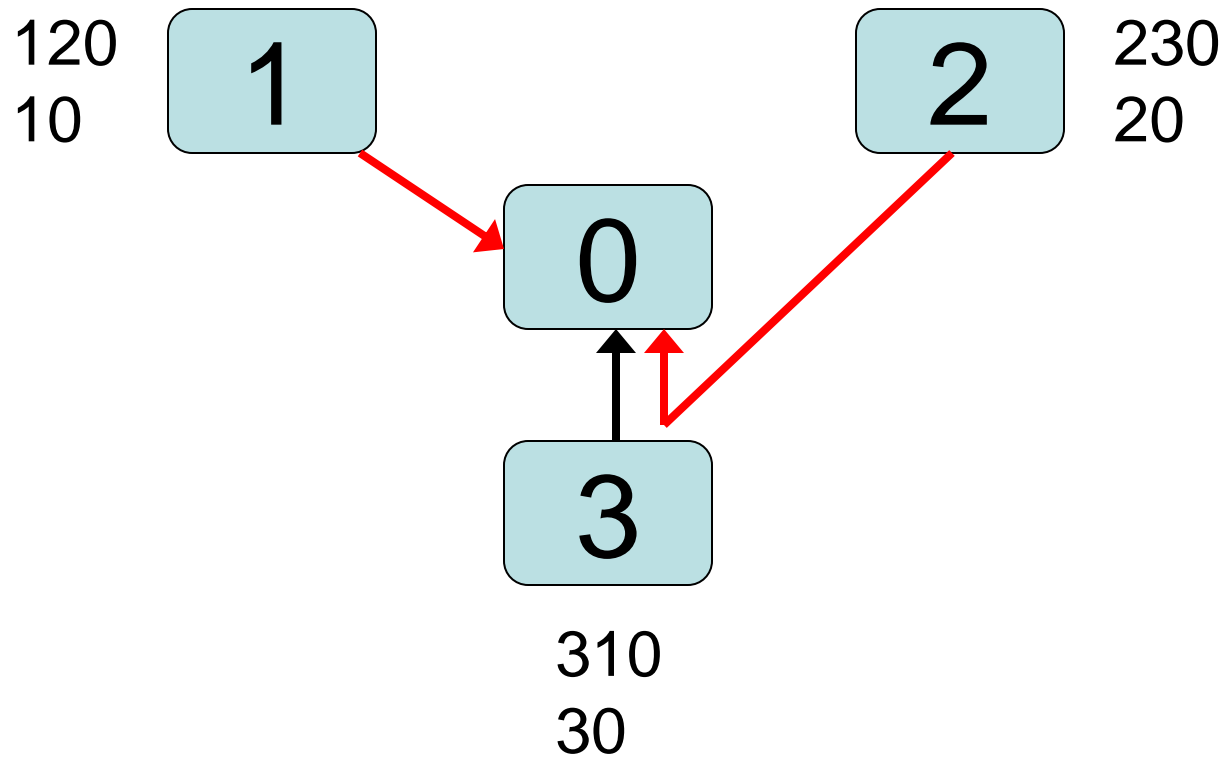


# Safety



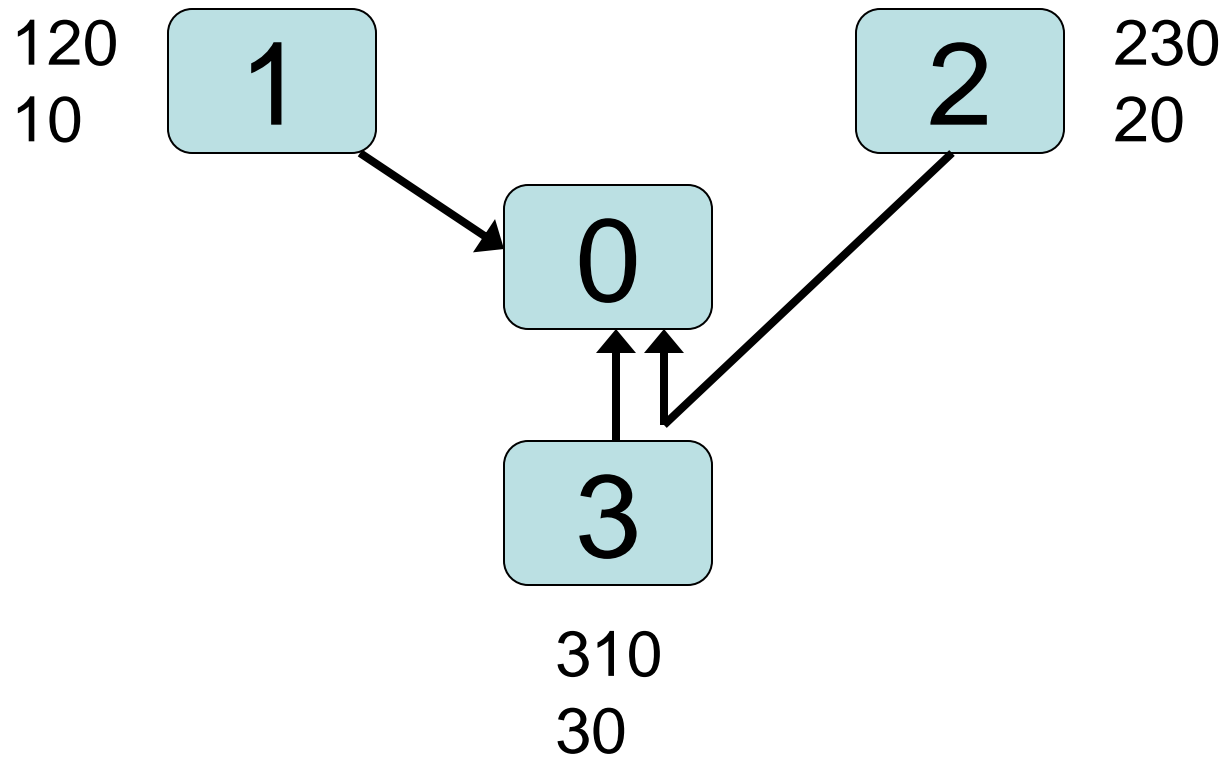
# Safety

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# Safety

Now: permutation of initial condition.



# Problem statement

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We want:

1. Safety
2. Autonomy of policy choice
3. Unrestricted filtering

How must such a protocol constrain  
ranking expressiveness?

# Main result

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If providers choose rankings,  
a protocol satisfying (1)–(3)  
must (essentially) only allow  
**shortest hop count rankings.**

# Global to local

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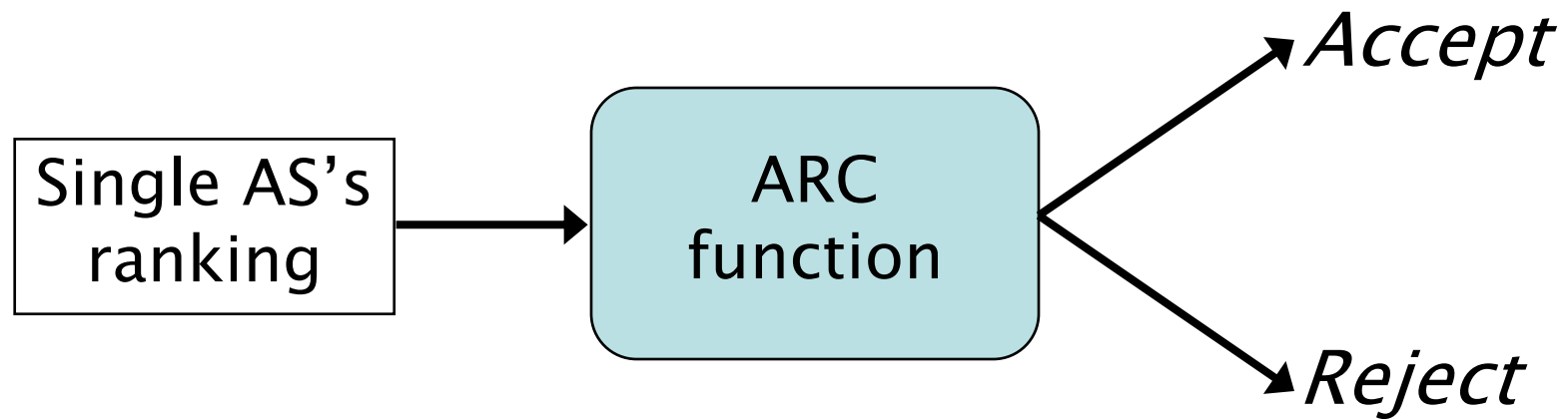
**Autonomy:** providers locally choose policies.

**ARC (autonomous ranking constraint) function:**

An abstraction of a protocol that respects autonomy.

# ARC functions

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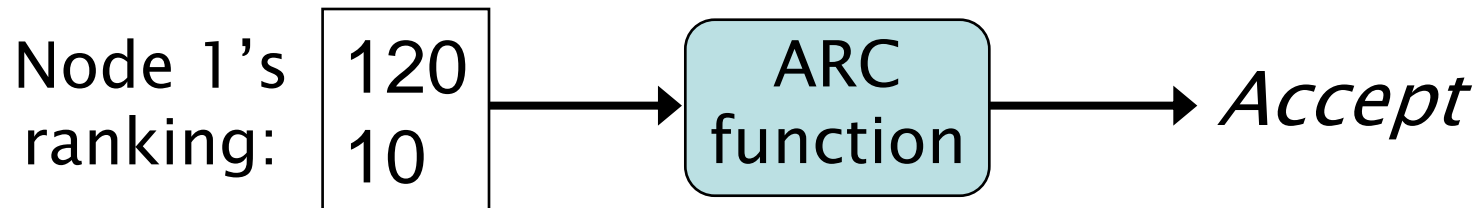
*Note:* acts on only a **single ranking**

# ARC function properties

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Permutation invariance

Node labels don't matter

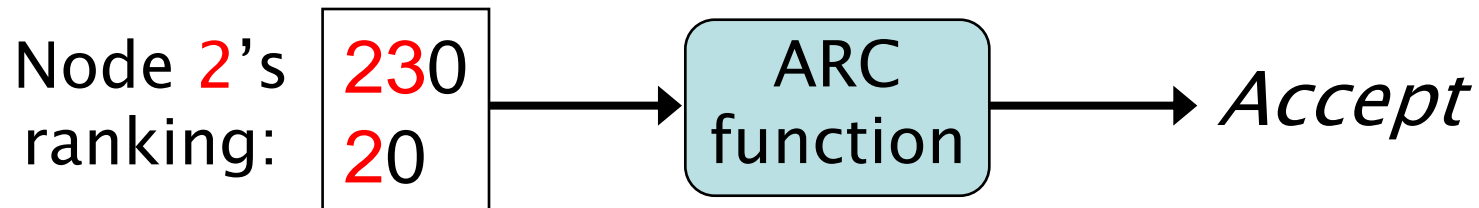


# ARC function properties

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Permutation invariance

Node labels don't matter



# ARC function properties

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## Permutation invariance

Node labels don't matter

## Scale invariance

Adding new nodes does not  
force a node to change  
its rankings over old paths

# Example: Next-hop rankings

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ARC function:

“Accept if providers rank routes based only on **first hop**.”

Good: a fixed point always exists

Bad: May not converge!

# “Impossibility” theorem

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Consider an ARC function that *ensures* convergence regardless of filters chosen.

Then:

Any accepted ranking cannot prefer a path longer than  $n + 2$  hops to an  $n$  hop path

# Possible means of escape

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- Derived rankings
- Global constraints

# Derived rankings

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We only consider protocols where providers **directly** choose rankings.

Instead, rankings could be **derived** from locally chosen parameters

# Derived rankings

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Ex 1: providers choose incident edge weights, protocol is shortest paths

Ex 2: strictly monotonic algebras  
(metarouting – Griffin & Sobrinho '05)

These are (strong) generalizations of shortest hop count; any others?

# Global constraints

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Could constrain filtering, ranking, and even topology at a global level

Intrinsically, requires sacrificing some autonomy

# Summary

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Economics meets engineering!

Tradeoff between

- convergent routing protocol
- expressive policy space
- provider autonomy