

INF 212  
ANALYSIS OF PROG. LANGS  
*PROCEDURES & FUNCTIONS*

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# Subroutines aka Procedures

- Historically: blocks of instructions executed several times during program execution
- May have 0 or more input arguments
- May have 0 or more output arguments
- May perform IO, side effects
- Mid-50s

# Functions

- Take 0 or more input arguments
- Return one value
- Used as *expressions*
  
- Additional constraint for **pure** functions:
  - No IO, no side effects

# Procedures vs. Functions

- Distinction existed as early as 1958 (FORTRAN)

```
subroutine square_cube(i, isquare, icube)
  integer, intent(in)  :: i           ! input
  integer, intent(out) :: isquare, icube ! output
  isquare = i**2
  icube   = i**3
end subroutine square_cube
```

```
program xx
  implicit none
  integer :: i, isq, icub
  i = 4
  call square_cube(i, isq, icub)
  print*, "i, i^2, i^3=", i, isq, icub
end program xx
```

# Procedures vs. Functions

- Distinction existed as early as 1958 (FORTRAN)

```
function func(i) result(j)
  integer, intent(in) :: i ! input
  integer              :: j ! output
  j = i**2 + i**3
end function func
```

```
program xfunc
  implicit none
  integer :: i
  integer :: func
  i = 3
  print*, "sum of the square and cube of", i, " is", func(i)
end program xfunc
```

Additionally, Fortran has a **pure** keyword for pure functions

# Procedures vs. Functions

- Distinction was lost at some point, mainstream PLs merged the two concepts into one
  - C/C++, Java, Python, Perl, PHP, ... No distinction:
    - Procedures can also return values
  - Lisp, ML, Haskell, ... Only functions, but:
    - Functions can be pure or impure

# “Pure” Functional Programming

- Mathematical functions
  - No side effects
  - No IO (other than at the beginning and the end)
- “High-order” functions
  - Functions can take functions as arguments
  - Functions can return functions as values
- More on this later...

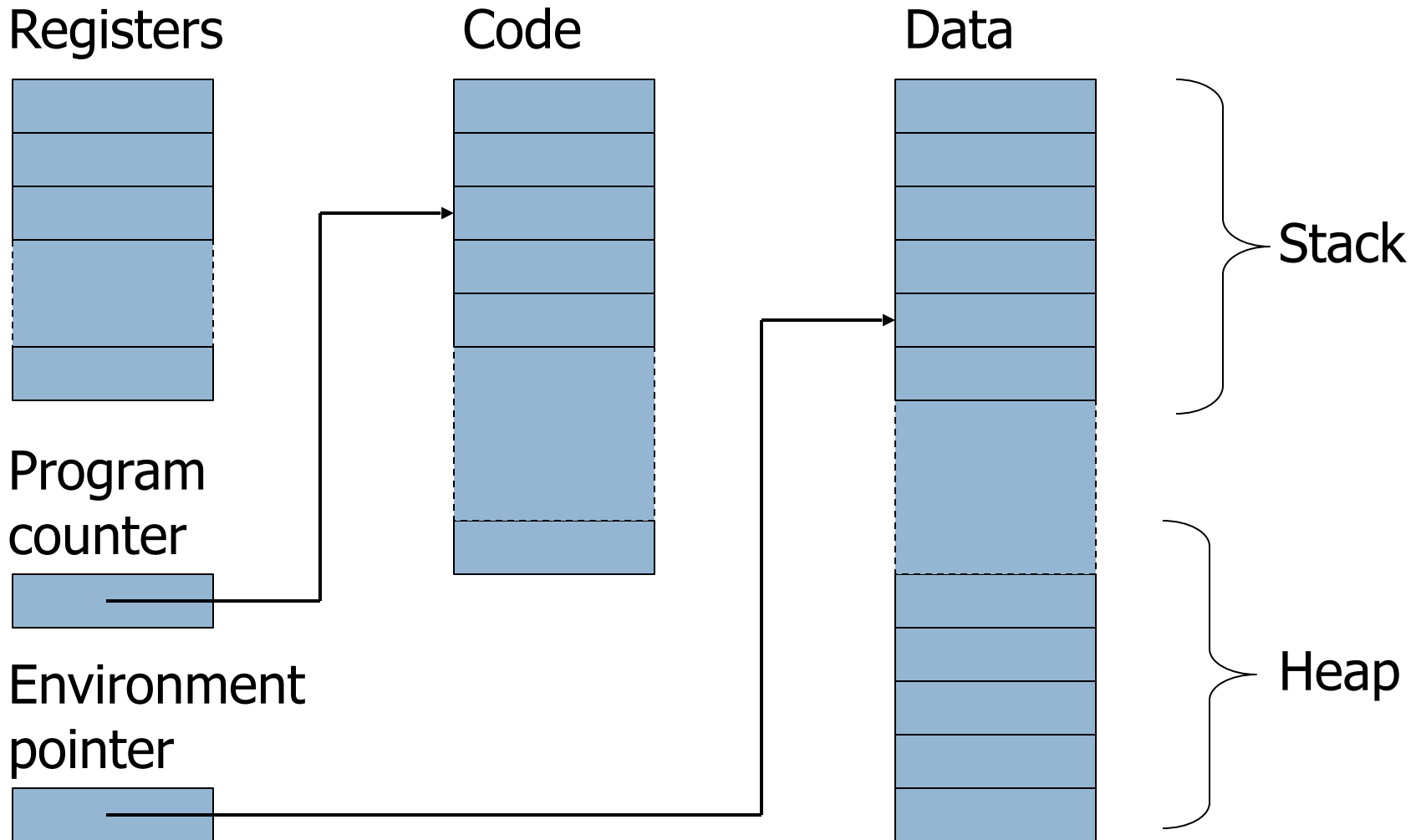
# Function/procedure calls

Implementation details



# Simplified Machine Model

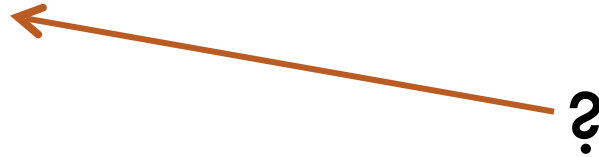
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# Function definition

```
def: fact(n) = if n<=1 then 1
              else n * fact(n-1)
```

```
...
call: fact(3)
...
```

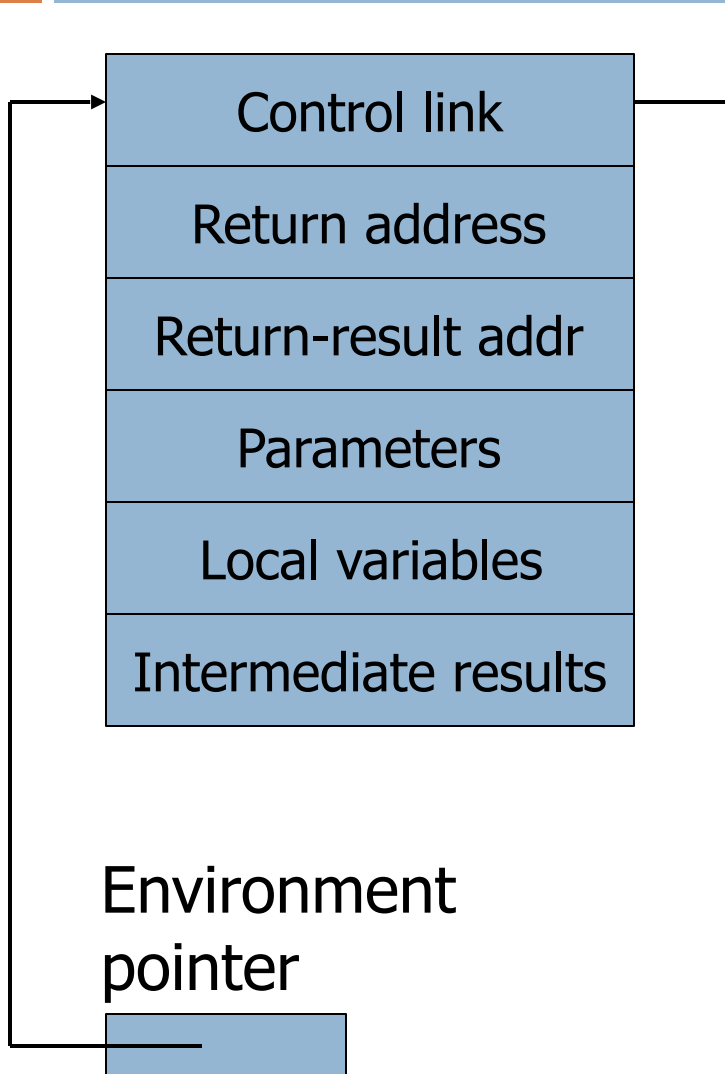


# Activation Records for Functions

- Block of information (“frame”) associated with each function call, including:
  - Parameters
  - Local variables
  - Return address
  - Location to put return value when function exits
  - Control link to the caller’s activation record
  - Saved registers
  - Temporary variables and intermediate results
  - (not always) Access link to the function’s static parent

# Activation Record Layout

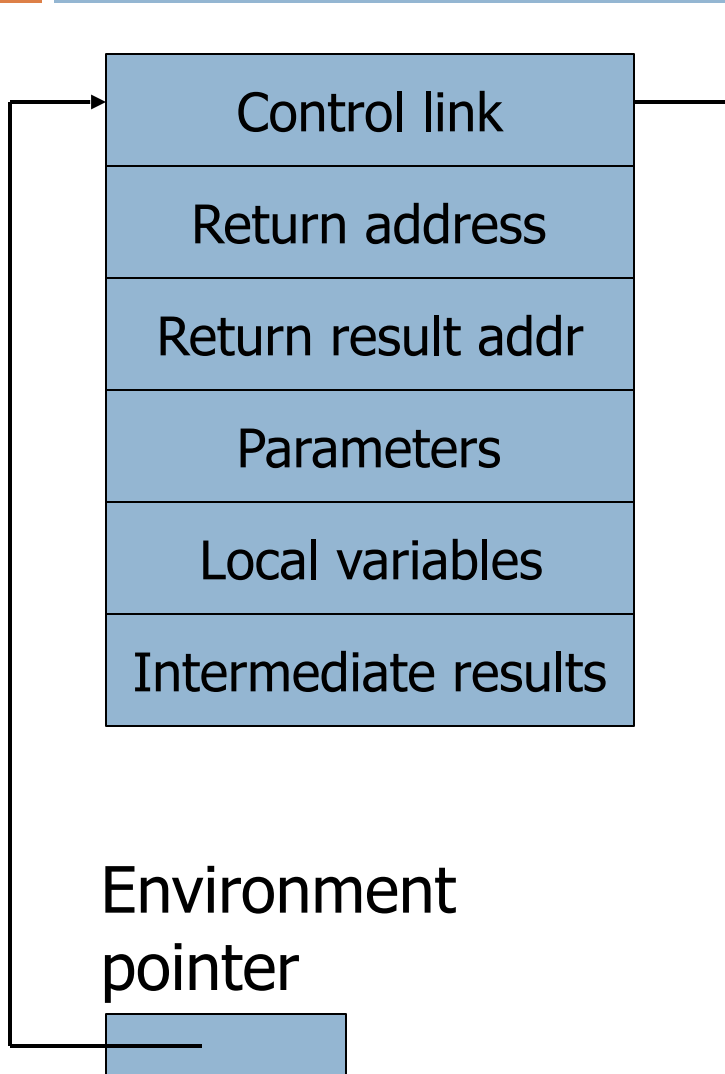
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- Return address
  - ▣ Location of code to execute on function return
- Return-result address
  - ▣ Address in activation record of calling block to receive returned value
- Parameters
  - ▣ Locations to contain data from calling block

# Example

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## □ Function

$\text{fact}(n) = \text{if } n \leq 1 \text{ then } 1$   
 $\quad \quad \quad \text{else } n * \text{fact}(n-1)$

□ Return result address:  
location to put  $\text{fact}(n)$

## □ Parameter

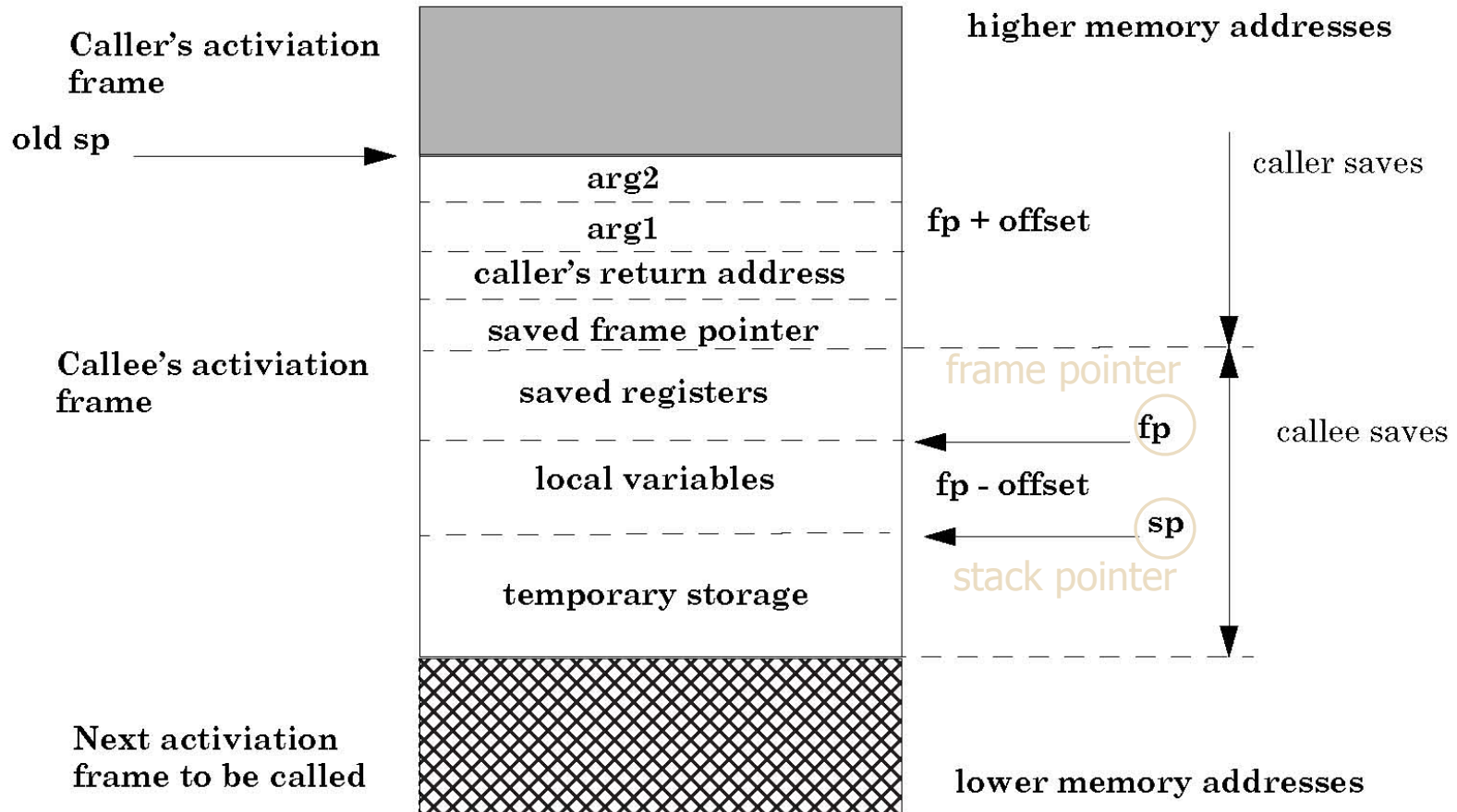
□ Set to value of  $n$  by calling  
sequence

## □ Intermediate result

□ Locations to contain value of  
 $\text{fact}(n-1)$

# Typical x86 Activation Record

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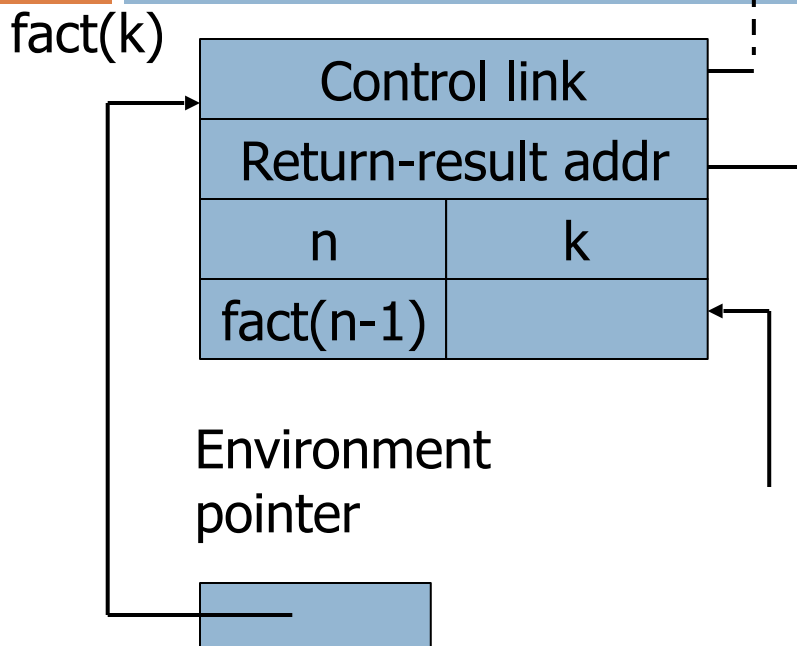


# Run-Time Stack

- Activation records are kept on the **stack**
  - Each new call pushes an activation record
  - Each completing call pops the topmost one
  - Stack has all records of all active calls at any moment during execution (topmost record = most recent call)
- Example: fact(3)
  - Pushes one activation record on the stack, calls fact(2)
  - This call pushes another record, calls fact(1)
  - This call pushes another record, resulting in three activation records on the stack

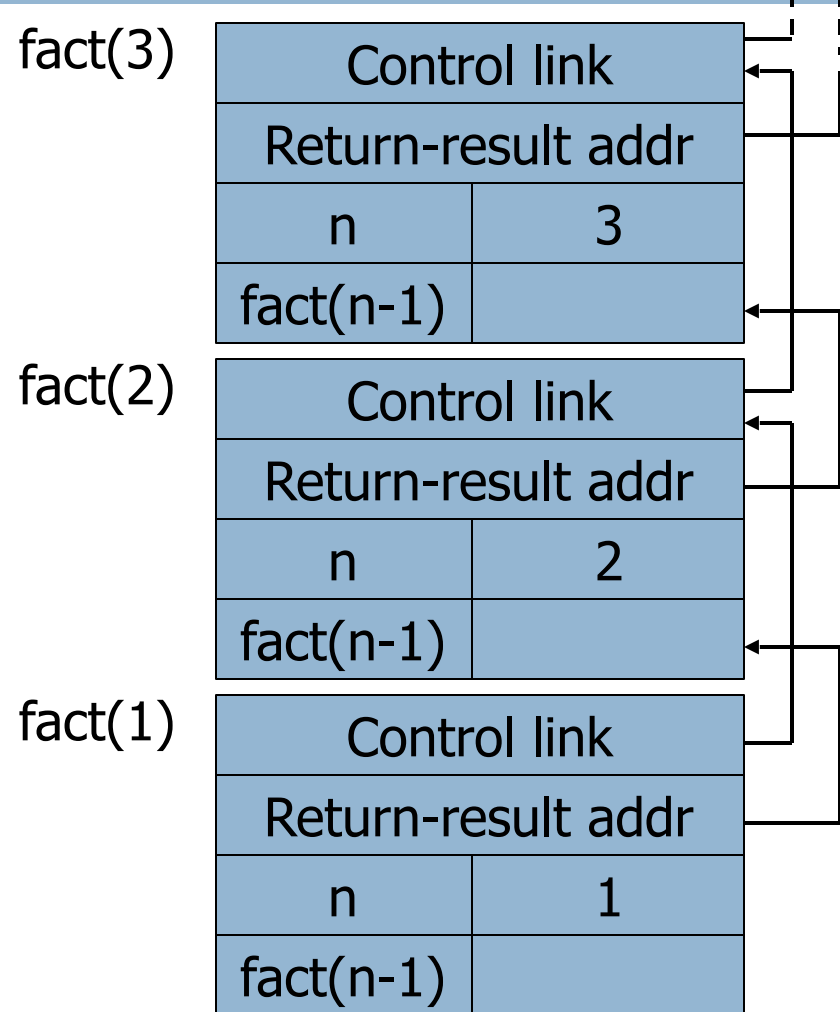
# Function Call

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fact(n) = if  $n \leq 1$  then 1  
else  $n * \text{fact}(n-1)$

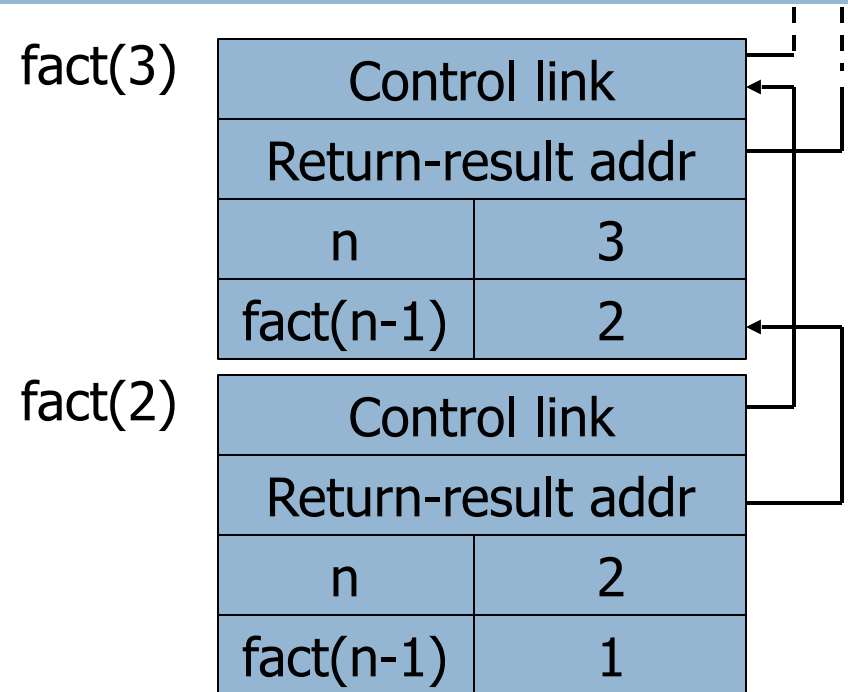
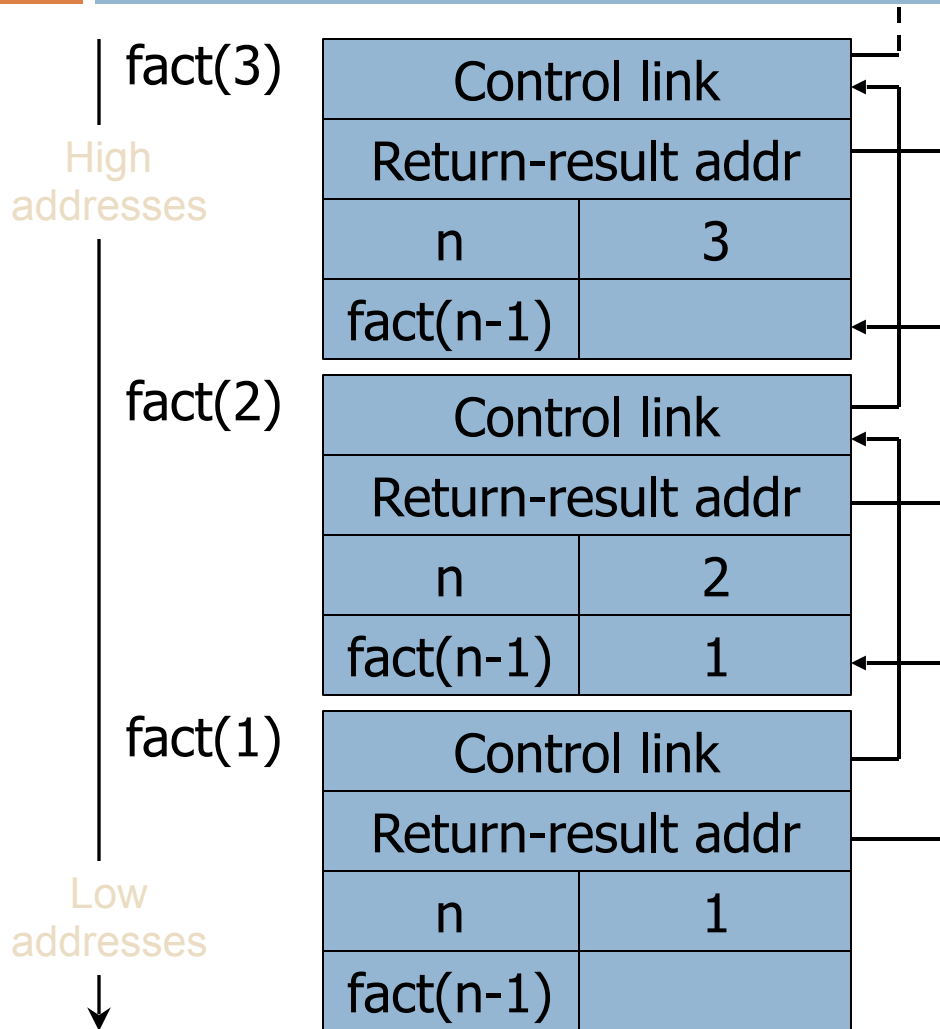
Return address omitted; would be a pointer into code segment





# Function Return

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$\text{fact}(n) = \text{if } n \leq 1 \text{ then } 1$   
 $\text{else } n * \text{fact}(n-1)$