CS184A/284A Al in Biology and Medicine

Intro to Machine Learning, Data Visualization and Exploration

Machine Learning

Introduction to Machine Learning

Course Logistics

Data and Visualization

Supervised Learning

Artificial Intelligence (AI)

- Building "intelligent systems"
- Lots of parts to intelligent behavior



RoboCup



Darpa GC (Stanley)

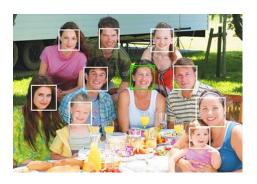




Chess (Deep Blue v. Kasparov)

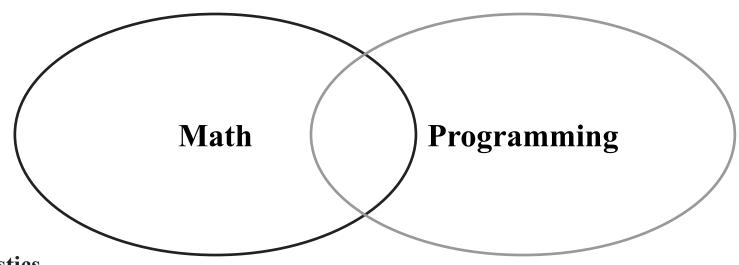
Machine learning (ML)

- One (important) part of Al
- Making predictions (or decisions)
- Getting better with experience (data)
- Problems whose solutions are "hard to describe"





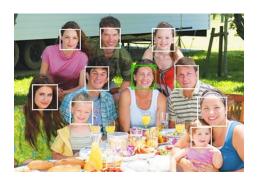
Machine Learning



Statistics Probability Linear Algebra Optimization

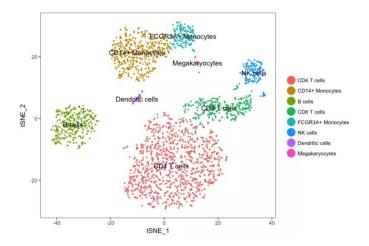
Data Structures
Algorithms
Computational Complexity
Data Management

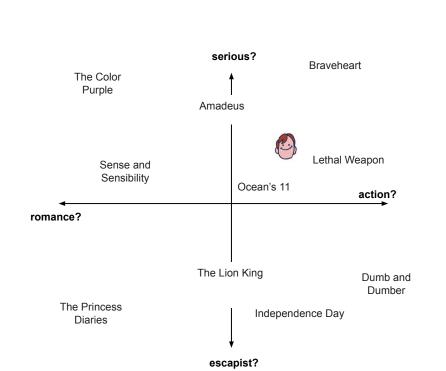
- Supervised learning
 - "Labeled" training data
 - Every example has a desired target value (a "best answer")
 - Reward prediction being close to target
 - Classification: a discrete-valued prediction (often: action / decision)
 - Regression: a continuous-valued prediction

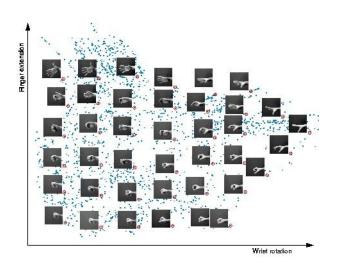




- Supervised learning
- Unsupervised learning
 - No known target values
 - No targets = nothing to predict?
 - Reward "patterns" or "explaining features"
 - Often, data mining







- Supervised learning
- Unsupervised learning
- Semi-supervised learning
 - Similar to supervised
 - some data have unknown target values
- Ex: medical data
 - Lots of patient data, few known outcomes
- Ex: image tagging
 - Lots of images on Flikr, but only some of them tagged

- Supervised learning
- Unsupervised learning
- Semi-supervised learning
- Reinforcement learning



Feedback may be delayed

Summary

What is machine learning?

- Computer science + Math (Optimization & Statistics)
- How do we learn from data to improve performance

Types of machine learning

- Supervised learning
- Unsupervised learning
- Semi-supervised learning
- Reinforcement learning

Machine Learning

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Data exploration

- Machine learning is a data science
 - Look at the data; get a "feel" for what might work

- What types of data do we have?
 - Binary values? (spam; gender; ...)
 - Categories? (home state; labels; ...)
 - Integer values? (1..5 stars; age brackets; ...)
 - (nearly) real values? (pixel intensity; prices; ...)
- Are there missing data?
- "Shape" of the data? Outliers?

Scientific software

- Python
 - Numpy, MatPlotLib, SciPy...



- Matlab
 - Octave (free)
- R
 - Used mainly in statistics
- C++
 - For performance, not prototyping
- And other, more specialized languages for modeling...

Representing data

• Example: Fisher's "Iris" data http://en.wikipedia.org/wiki/Iris_flower_data_set

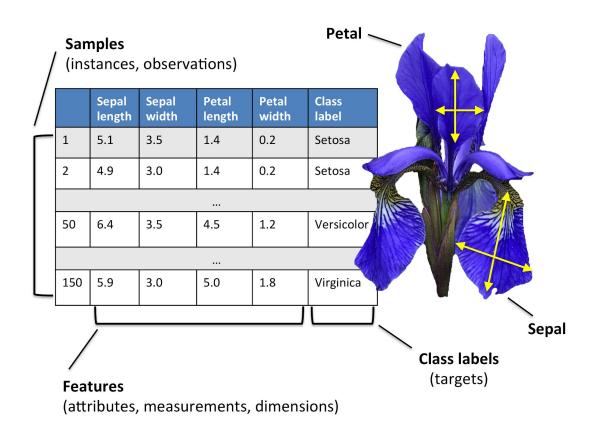


- Three different types of iris
 - "Class", y
- Four "features", x₁,...,x₄
 - Length & width of sepals & petals
- 150 examples (data points)





Intro to Basic Terminology and Notations



Representing the data in Python

Have m observations (data points)

$$\left\{x^{(1)}\dots,x^{(m)}\right\}$$

Each observation is a vector consisting of n features

$$x^{(j)} = [x_1^{(j)} x_2^{(j)} \dots x_n^{(j)}]$$

Often, represent this as a "data matrix"

$$\underline{X} = \begin{bmatrix} x_1^{(1)} & \dots & x_n^{(1)} \\ \vdots & \ddots & \vdots \\ x_1^{(m)} & \dots & x_n^{(m)} \end{bmatrix}$$

```
import numpy as np #import numpy
iris = np.genfromtxt("data/iris.txt",delimiter=None)

X = iris[:,0:4] # load data and split into features, targets

Y = iris[:,4]

print(X.shape) # 150 data points; 4 features each

(150, 4)
```

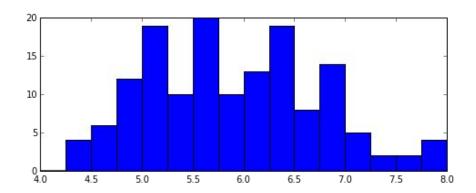
Basic statistics

- Look at basic information about features
 - Average value? (mean, median, etc.)
 - "Spread"? (standard deviation, etc.)
 - Maximum / Minimum values?

```
print(np.mean(X, axis=0)) # compute mean of each feature
[5.8433 3.0573 3.7580 1.1993]
print(np.std(X, axis=0)) #compute standard deviation of each feature
[0.8281 0.4359 1.7653 0.7622]
print(np.max(X, axis=0)) # largest value per feature
[7.9411 4.3632 6.8606 2.5236]
print(np.min(X, axis=0)) # smallest value per feature
[4.2985 1.9708 1.0331 0.0536]
```

Histograms

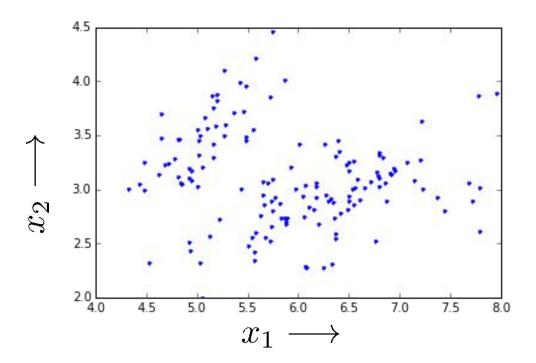
- Count the data falling in each of K bins
 - "Summarize" data as a length-K vector of counts (& plot)
 - Value of K determines "summarization"; depends on # of data
 - K too big: every data point falls in its own bin; just "memorizes"
 - K too small: all data in one or two bins; oversimplifies



```
% Histograms in MatPlotLib
import matplotlib.pyplot as plt
X1 = X[:,0] # extract first feature
Bins = np.linspace(4,8,17) # use explicit bin locations
plt.hist(X1, bins=Bins) # generate the plot
```

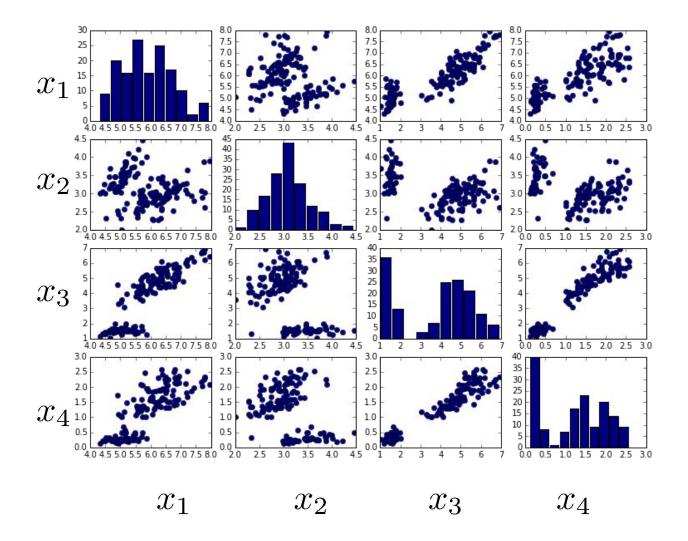
Scatterplots

Illustrate the relationship between two features



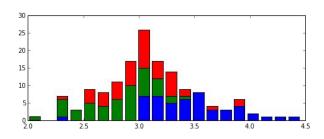
Scatterplots

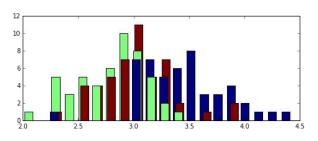
For more than two features we can use a pair plot:



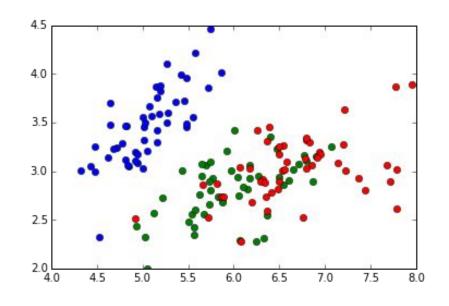
Supervised learning and targets

- Supervised learning: predict target values
- For discrete targets, often visualize with color





ml.histy(X[:,1], Y, bins=20)



Machine Learning

Introduction to Machine Learning

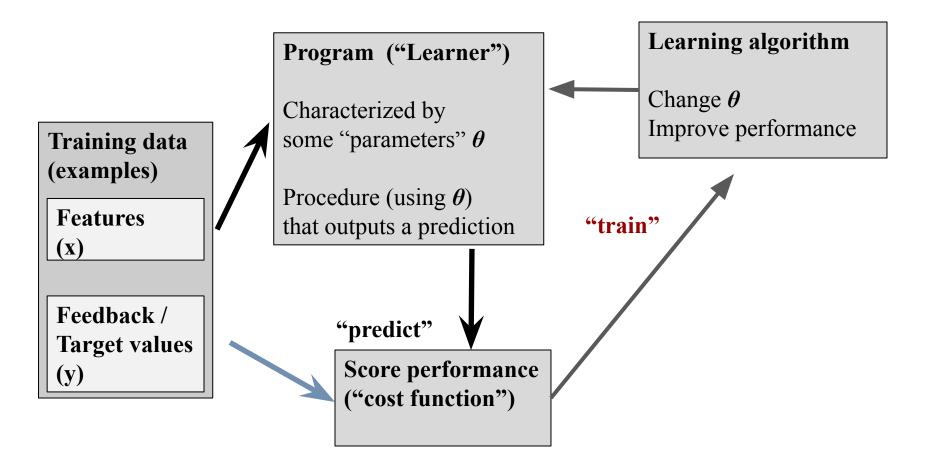
Course Logistics

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How does machine learning work?

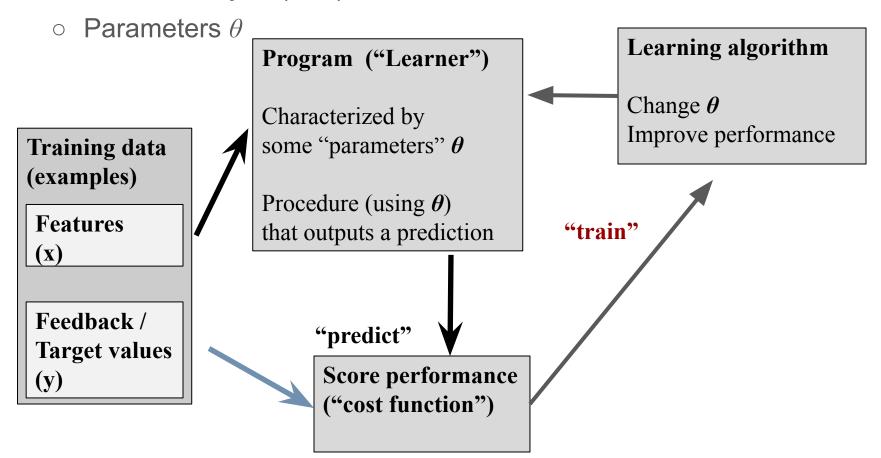
- "Meta-programming"
 - Predict apply rules to examples
 - Score get feedback on performance
 - Learn change predictor to do better



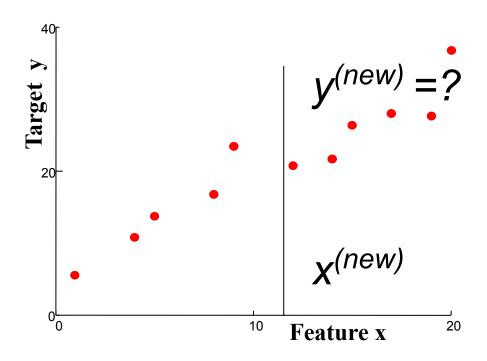
How does machine learning work?

Notation

- Features x
- Targets y
- \circ Predictions $\hat{y} = f(x; \theta)$

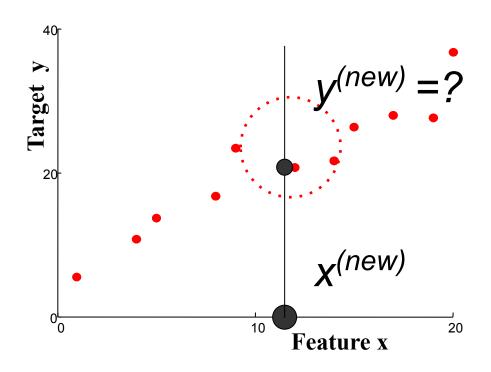


Regression; Scatter plots



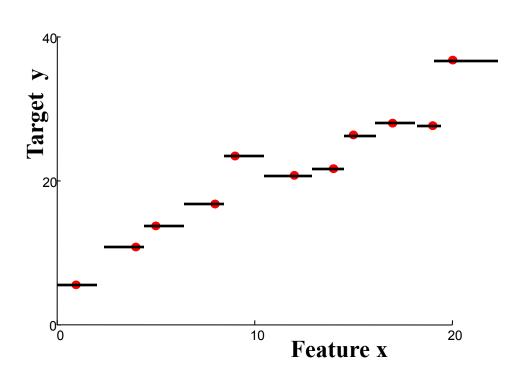
- Suggests a relationship between x and y
- Prediction: new x, what is y?

Nearest neighbor regression



• Find training datum $x^{(i)}$ closest to $x^{(new)}$ Predict $y^{(i)}$

Nearest neighbor regression

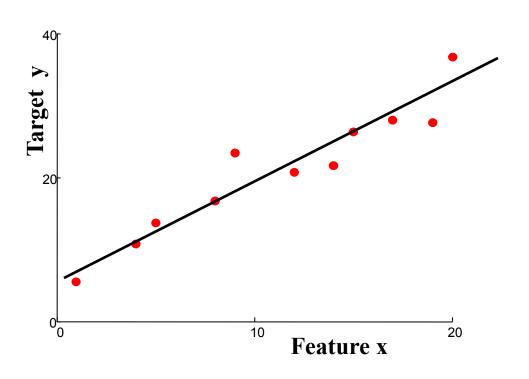


"Predictor":

Given new features:
Find nearest example
Return its value

- Defines a function f(x) implicitly
- "Form" is piecewise constant

Linear regression



"Predictor":

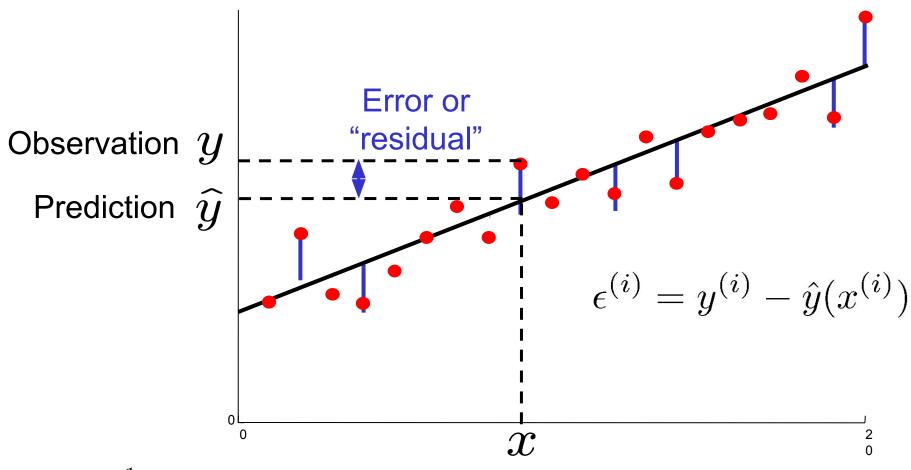
Evaluate line:

$$r = \theta_0 + \theta_1 x_1$$

return r

- Define form of function f(x) explicitly
- Find a good f(x) within that family

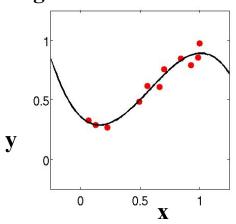
Measuring error



MSE =
$$\frac{1}{m} \sum_{i} (y^{(i)} - \hat{y}(x^{(i)}))^2$$

Regression vs. Classification

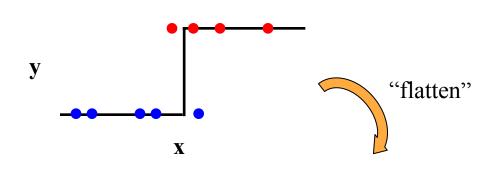
Regression



Features x Real-valued target y

Predict continuous function $\hat{y}(x)$

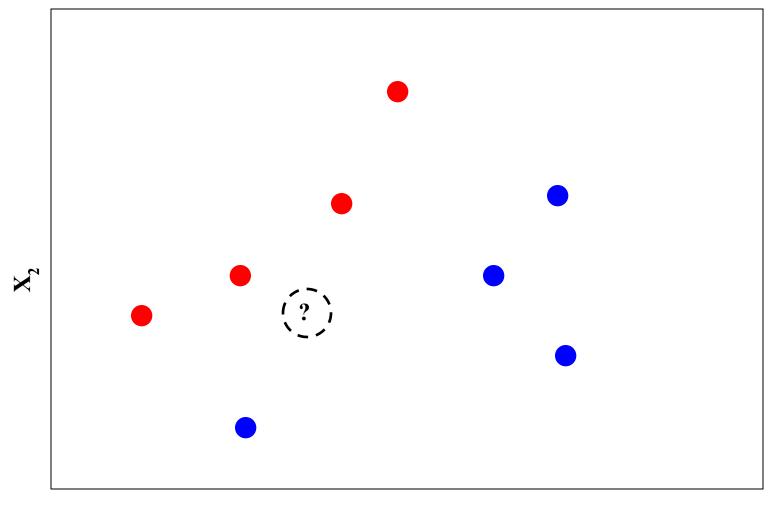
Classification



X

Features x
Discrete class c
(usually 0/1 or +1/-1)
Predict discrete function $\hat{y}(x)$

Classification



 $\mathbf{X_1}$

Classification

ERR =
$$\frac{1}{m} \sum_{i} [y^{(i)} \neq \hat{y}(x^{(i)})]$$

